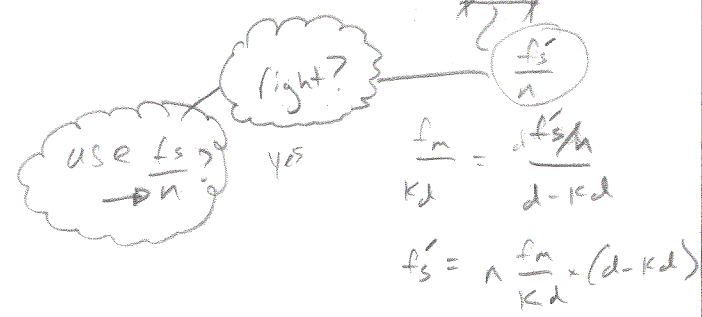


$$z'_f = \min(t_f, kd)$$

$$f_{cw} = f_m \frac{(kd - z'_f)}{kd}$$

$$y_{cw} = \max(0, kd - z'_f)$$



$$c_f = \frac{1}{2} (f_m + f_{cw}) \times z'_f \times b$$

$$c_w = \frac{1}{2} y_{cw} \times f_{cw} \times b_w$$

$$F'_s = n \frac{f_m}{kd} \times (d - kd)$$

$$F_s = \min(F_s, F'_s)$$

$$F_s = 24 \text{ ksi} \times \frac{4}{3} \text{ if applicable.}$$

$$T = A_s f_s$$

$$\Sigma F = C_f + C_w + P - T = 0$$

EM @ Geom. Centroid.

Moment Arms



$$y = \frac{h(2a+b)}{3(a+b)}$$

Flange $\Rightarrow X_{CF} = \frac{h}{2} - \frac{t'_f (2f_{cw} + f_m)}{3(f_{cw} + f_m)}$

web $\Rightarrow X_{CW} = \frac{h}{2} - \left(t'_f + \frac{y_{CW}}{3} \right)$

steel $\Rightarrow X_{S1} = h/2 - d$

use "+" This will determine if neg.

$$\Sigma M = X_{CF} \times C_f + X_{CW} \times C_w + T X_{S1} + M = 0$$

- \rightarrow For given $P, M, \& \text{ Geometry}$,
- \rightarrow Assume Kd and $f_m = F_m$ where $F_m = \frac{A'_m}{3} \times \frac{4}{3}$
- \rightarrow Perform iteration until $\Sigma F = 0, \& \Sigma M = 0$

or

$$e_{reqd} = \frac{M_a}{P_a} = \frac{M_n}{P_n} \quad \text{--- (Find } M_n, P_n \text{ From Above } \Sigma F, \& \Sigma M \text{ Solving for } M, \& P \text{ respectively)}$$

$f_a = \frac{P}{A_{net}} \Rightarrow A_{net} = \text{Flange} + \text{web} + \text{grouted cell}$

Shear - \perp to wall

\rightarrow use Area in compression only?

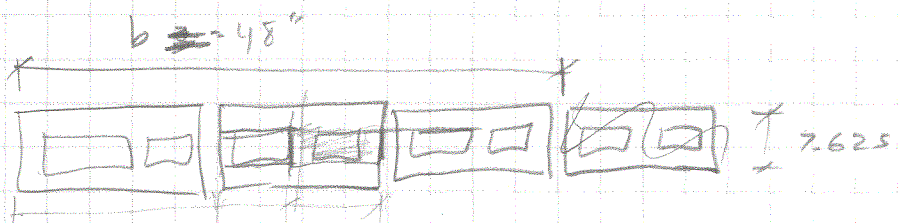
checks

$$F_a = 0.25 f'_m R \Rightarrow \begin{cases} R = 1 - \left(\frac{h}{140r} \right)^2 & \frac{h}{r} \leq 99 \\ R = \left(\frac{70r}{h} \right)^2 & \frac{h}{r} > 99 \end{cases}$$

$f_a \leq F_a$

$f_m \leq F_m$

$\frac{r}{h} = \frac{1}{8}$



$$h_w = 7.625 \quad h_w = h - 2t_f$$

$$t_f = 1.25" \quad b_w = b_{cell} + 2t_w$$

$$t_w = 1.0"$$

$$b_{unit} = 15.625" \quad b_{grat} = 7/8"$$

$$b_{unit} = 16"$$

$$b_{cell} = (b_{unit} - 3t_w) / 2 =$$

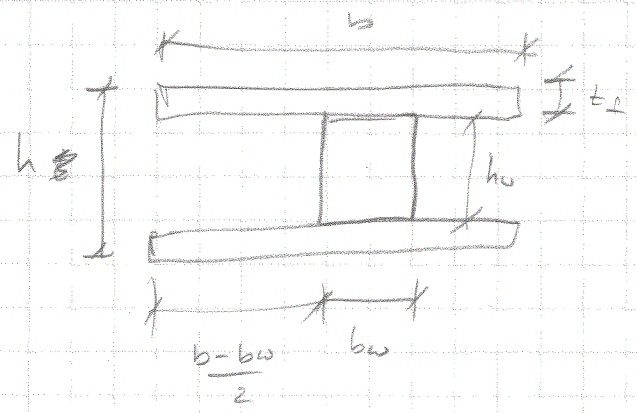
$$A = 2(b \times t_f) + h_w \times b_w$$

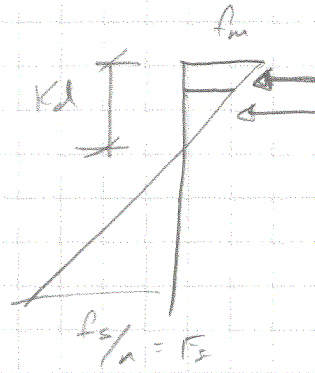
$$A_w = A / b \quad \text{in}^2 / \text{in}$$

$$I = \frac{bh^3}{12} - \left(\frac{b-b_w}{2} \right) \times \frac{h_w^3}{12} \times 2$$

$$I_{net} = I / b = \text{in}^4 / \text{in}$$

$$r = \sqrt{I/A} =$$





$$\frac{F_m}{kd} = \frac{f_s/a}{d - kd}$$

$$F_m = \frac{f_s/a}{d - kd} kd \quad \text{or} \quad F_m$$

yields same result.